



BOOK REPORTS

The Book Reports section is a regular feature of *Computers & Mathematics with Applications*. It is an unconventional section. The Editors decided to break with the longstanding custom of publishing either lengthy and discursive reviews of a few books, or just a brief listing of titles. Instead, we decided to publish every important material detail concerning those books submitted to us by publishers, which we judge to be of potential interest to our readers. Hence, breaking with custom, we also publish a complete table of contents for each such book, but no review of it as such. We welcome our readers' comments concerning this enterprise. Publishers should submit books intended for review to the Editor-in-Chief,

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St Louis, MO 63130, U.S.A.

Statistical Models. Theory and Practice David A. Freedman, Cambridge University Press, Cambridge, 2005, 414 pages. Hardback \$65.00 (Paperback \$34.95).

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Rippling: Meta-Level Guidance for Mathematical Reasoning Alan Bundy, David Basin. Dieter Hutter, and Andrew Ireland, Cambridge University Press, New York, NY, 2005, 202 pages, \$90.00.

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A Computational Introduction to Number Theory and Algebra Victor Shoup, Cambridge University Press, New York, NY, 2005, 517 pages, \$55.00.

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Stochastic Calculus for Finance I. The Binomial Asset Pricing Model Steven E. Shreve, Springer, Heidelberg, Germany, 2005, 187 pages.

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Immunological Bioinformatics Ole Lund. Morten Nielsen, Claus Lundegaard, Can Ke mir and Søren Brunak, The MIT Press, Cambridge, MA, 2005, 296 pages.

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